

FROM THE **AUTHOR OF COMPOSING FOR FILM & LYRICS, LYRICS, LYRICS**

# **UNDERSTANDING SERIAL COMPOSITION**

**Techniques for Film Underscores**

**BY JACK SMALLEY**



UNDERSTANDING  
**SERIAL COMPOSITION**

TECHNIQUES FOR FILM UNDERSCORES

## SERIAL COMPOSITION AS A DRAMATIC FORCE IN MUSIC

Composing music in the Western world admits two considerations: Consonance or Dissonance.

Consonance is the tertian world of triads built in thirds from a given root. These triads are considered to be diatonic - that is, conforming to a given key area.

Basic solfeggio (the theory of building chords) accepts only 6 triads in a diatonic world. Given that limitation, it's astounding how much truly great music was composed in this discipline.

Dissonance is seconds, either major or minor, and the dreaded *diabolous in musica* - the tritone.

Few composers in this world care to venture above the triad. as that's where the dissonances lurk. Sevenths, ninths, elevenths and thirteens comprise too many dissonant intervals.

These limitations led many modern composers into a labyrinth of techniques for which there are few, if any, rules. (In music, by the way, there are really no hard and fast rules - only expectations. Dissonances in a diatonic, tonal world are *expected* to resolve.)

Arnold Schoenberg, around the year 1900, proposed a system of recognizing dissonance. He set all twelve notes in a row, or scale. This system variously referred to as "twelve tone," "non-tonal" or "unbearable dissonance" was referred to by Schoenberg as "serial" composition. The idea was to use the notes in a row in the order in which they appear. Thus the term "serial".

The beauty of this technique is the composer, looking at a row of notes, can immediately see the dissonances. From that point it's a compositional decision whether or not to take advantage of them.

This book presents various serial techniques for composers. There are many more, of course. These examples are from films I've worked on. Film is inherently dissonantly dramatic - lending these techniques serious consideration. It's my hope this will encourage composers to experiment with serial techniques.

## CONSTRUCTING A ROW

SETTING OUT THE ROW

Alphabet alignment Chromatic Scale


A M Y:	<i>C</i>	(a b c)
B N Z:	<i>C#</i>	(d e f)
C O:	<i>D</i>	(g h)
D P:	<i>E<sup>b</sup></i>	(i j)
E Q:	<i>E</i>	(k l)
F R:	<i>F</i>	(m n)
G S:	<i>F#</i>	(o p)
H T:	<i>G</i>	(q r)
I U:	<i>A<sup>b</sup></i>	(s t)
J V:	<i>A</i>	(u v)
K W:	<i>B<sup>b</sup></i>	(w x)
L X:	<i>B</i>	(y z)

## SERIAL COMPOSITION

### THE ROW

The idea of Serial Composition is to discover a series of 12 notes - in a particular order - that the composer manipulates according to the needs of his composition. Within a composition the individual notes will always appear IN ROW ORDER, that is as a predetermined *series*.

Row 1, Set I is accomplished by setting out the notes opposite the letters of your name. Frequently there will be a repetition of a note, as there are 26 letters, but only 12 notes - or as a result of double letters in a name. Since a row must consist of 12 individual notes without a repeat, the most expedient way to alleviate this is simply to find the notes that have as yet to be set out. The easiest way is to go to C4 and start checking. Use the next chromatic note that has as yet to be used. For example, my name is legally John P Smalley. Following is Row 1 based on my name:

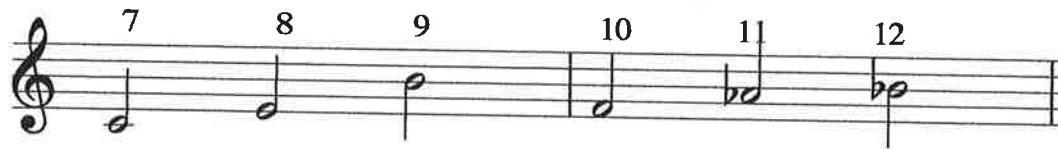
J	O	H	N	P.	S	M	A	L	L	E	Y
											
1	2	3	4	5	6	7	8*	9	10*	11*	12

- 1: J = A
- 2: O = D
- 3: H = G
- 4: N = C#
- 5: P = Eb
- 6: S = F#
- 7: M = C
- 8: A = C

C has already been used as note 7. Counting up through the chromatic scale we discover these notes used: C, C#, D, Eb - so the note E (an as yet unused note) will replace C as note #8:

- \* 8: E
- 9: L = B
- \*10: L = B





The spaces in between are then filled with notes 1 - 6:



This permutation is repeated 6 times, creating rows 1 thru 6 . The interesting mathematical point is the *permutation of row 6 will be the retrograde of row 1*. Therefore, by permuting a specific row 6 times, 12 usable rows will be created.

Each group of 12 rows (1 - 6, then 7 - 12 as retrogrades of 1 - 6) comprises a set of rows. The first, obviously, is SET I.